Real-time advanced sensorless control of axial flux synchronous motor

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Article Info

Article history:

Received Nov 12, 2023 Revised Mar 10, 2024 Accepted Mar 29, 2024

Keywords:

Direct torque control Electric vehicles IRAFSM Real-time SLGBRS Urban dynamometer driving cycle

ABSTRACT

Interior rotor axial flux permanent magnet synchronous motor (IRAFSM) sensorless control is essential to inject the motor inside the electric vehicles' tire. The proposed straight-line guided by the reference speed (SLGBRS) sensorless space vector pulse width modulation (SVPWM) inverter-direct torque control (DTC) technique for driving the IRAFSM used for electric vehicles (EVs) is evaluated using laboratory emulator setup. A hardware-inthe-loop (HIL) controller and data acquisition are used as a real-time emulation, while the results are compared with MATLAB simulation results. Both simulation and real-time application of the proposed sensorless control for the IRAFSM offer a good speed response. The results of real-time evaluation are identical with the simulation results so, the control is accurate and suitable for practical applications. Urban dynamometer driving cycle (UDDS) for heavy-duty vehicles is used as a driving cycle for simulation and real time evaluation. UDDS is used to ensure the reliability of the proposed control against a wide range of speed changes to be applicable for many applications. The proposed technique allows utilizing the IRAFSM in many applications that requires less contact and reduced sensors like robotics and inside EV's tire with a good reliable control.

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NOMENCLATURE

| ${\mathcal U}_{da}$, ${\mathcal U}_{qa}$ | : Stator d-q axis voltages | T_e | : Electromagnetic torque |
|--|-----------------------------------|--|---|
| $i_{ m da}$, $i_{ m qa}$ | : Stator d-q axis currents | Р | : Pole -pairs number |
| ψ_{qa} , ψ_{da} | : Flux in d-q axis | ψ_{sa} | : Stator windings field flux |
| R _{sa} | : Resistance of stator windings | i _{sa} | : Stator current vector |
| L _{da} | : Inductance of the d axis | T_l | : Load torque |
| L_{qa} | : Inductance of the q axis | ω_r | : Angular speed of the rotor |
| $\Psi_{\rm f}$ | : Rotor windings field flux | В | : The damping factor |
| δ | : Torque angle | J | : IRAFSM inertia |
| n | : The sector from $1-6$ | ω_e | : Angular speed |
| $\overline{\iota}_d \& \overline{\iota}_q$ | : The reference d-q axis currents | т | : Straight-line slope |
| $\hat{\iota}_d \& \hat{\iota}_q$ | : The estimated d-q axis currents | ω_{est}, ω_d | : The estimated and demand speed |
| f | : The fixed clock frequency | $e_{\omega}, e_{\psi}, e_{\mathrm{T}}$ | : Error in speed, flux, and torque respectively |

1. INTRODUCTION

The electric motor use is ecologically benign and suits for driving electric automobiles since an internal combustion engine fuel emits harmful pollutants [1]. The permanent magnet synchronous AC motor (PMSACM) is the most suitable for driving electric cars because it does not need external excitation of the rotor [2]. The PMSACM with the axial flux configuration is the best for driving electric cars because it can be placed inside the car tire, but this requires that the motor control is of the wireless type [3]–[5]. Direct torque control (DTC) has very fast torque response and the space vector pulse width modulation (SVPWM) method contains low current and torque ripples [6], [7]. DTC is the best for electric vehicles (EVs) because it ensures a smooth and comfortable torque change for the driver and passengers [8]. The straight-line guided by the reference speed (SLGBRS) sensorless evaluator is one of the adaptive reference system model methods that eliminate the problems associated with the sensor speed evaluator by placing the reference speed as a part of the speed estimation system [9]. The real-time emulation is a certificate of validity of the proposed control method in practice. The hardware-in-the-loop (HIL) and oscillators are the main approved devices to measure the extent to which the simulation results and the real-time performance of the motor match the control [10]–[13].

Recent works of sensorless control of synchronous motors with different control types and switching methods applied practical testing in real-time regardless of the applications. However, the proposed method uses SVPWM – DTC control based on the SLGBRS regarding the EV's applications [14]-[25]. The more reduction in direct contact for measurement and reduction of using sensors, the more degree of freedom in applying the control in many applications [9], [26]. This is the main target of the proposed research work to allow easy use of IRAFSM inside the EV's tire and also in robotics. This research also measures the extent to which the simulation matches the laboratory results of the proposed control method, which appears from the results that it gives a real performance with high efficiency. The following sections of this research include the mathematical equations employed, a description of the laboratory equipment used, the results, and the conclusion.

2. IRAFSM MODEL AND DTC WITH SVPWM INVERTER

Under the suppositions that the saturation effect, hysteresis-induced losses, eddy currents, and stray losses are omitted, the IRAFSM's dq0 reference frame (1)-(6) are examined. Since there is no prominent pole effect in the investigated IRAFSM, $L_d = L_q$, and the following is the back-EMF [27]–[29].

$$\mathcal{U}_{da} = R_{sa} \, i_{da} + \frac{d\psi_{da}}{dt} - P\omega_r \psi_{qa} \tag{1}$$

$$\mathcal{U}_{\rm qa} = R_{\rm sa} \, i_{\rm qa} + \frac{\mathrm{d}\psi_{\rm qa}}{\mathrm{d}t} + P\omega_r \psi_{da} \tag{2}$$

$$\psi_{da} = L_{da} \, i_{da} + \psi_f \tag{3}$$

$$\psi_{qa} = L_{qa} \, i_{qa} \tag{4}$$

$$T_{e} = \frac{3}{2} P \, i_{qa} \Big[\psi_{f} + \big(L_{da} - L_{qa} \big) i_{da} \Big] \tag{5}$$

$$T_{e} = \frac{3}{2} P i_{a} \psi_{f}$$
(6)

Changes in the torque can be managed by i_{qa} for $L_{da} = L_{qa}$.

Speed adjustments to three phase AC electric motors may be made via DTC in variable-frequency drives. It is possible to approximate the magnetic flux and torque by measuring the machine voltage and current as in (7)-(10) [28], [30], [31].

$$T_e = P \, i_{sa} \psi_{sa} \tag{7}$$

$$T_e - T_l - B\omega_r = J \frac{d\omega_r}{dt}$$
(8)

$$T_e = \frac{3}{2} \frac{P}{L_{da}} i_{qa} \psi_{sa} \psi_f \sin \delta + \frac{3}{4} \frac{L_{da} - L_{qa}}{L_{qa} L_{da}} \psi_{sa}^2 \sin 2\delta$$
(9)

For $L_d = L_q$

$$T_e = \frac{n}{2} \frac{P}{L_{da}} i_{qa} \psi_{sa} \psi_f \sin \delta \tag{10}$$

The dependence of changing angle δ on changing electromagnetic torque is evident from this equation. From (3) and (4):

$$\psi_{sa} = \sqrt{(\psi_{qa})^2 + (\psi_{da})^2} \tag{11}$$

The IRAFSM reference flux is calculated using (12) [9].

$$\left|\psi_{S}^{*}\right| = \sqrt{\psi_{f}^{2} + \left(\frac{2}{3}\frac{T_{e}^{*}L_{S}}{p\psi_{f}}\right)^{2}}$$
(12)

A strategy of trial and error is used to evaluate the gains of the PI-controller as in (13)-(18) [20].

$$T_e^* = k_p e + k_i \int e \, dt \tag{13}$$

$$e_{\omega} = \omega_{ref} - \omega \tag{14}$$

$$U_d = k_p e + k_i \int e \, dt \tag{15}$$

$$e_{\psi} = \psi_{S}^{*} - \psi_{S} \tag{16}$$

$$U_q = k_p e + k_i \int e \, dt \tag{17}$$

$$e_{\rm T} = {\rm T}_e^* - {\rm T}_e \tag{18}$$

PWM waveforms may be made using MATLAB's SVPWM model, a model for calculating switching times, and sector selection [29], [32]. The switching frequency is 20000 Hz, the DC voltage is 250 volts, and the reference speed is 300 rpm. Reference angle and voltages are as in (19)-(21).

$$\begin{vmatrix} u_d \\ u_q \end{vmatrix} = \frac{2}{3} \begin{vmatrix} 1 & -0.5 & -0.5 \\ 0 & \frac{\sqrt{3}}{2} & -\frac{\sqrt{3}}{2} \end{vmatrix} \begin{vmatrix} u_{an} \\ u_{bn} \\ u_{cn} \end{vmatrix}$$
(19)

$$u_{ref} = \sqrt{u_d^2 + u_q^2} \tag{20}$$

$$\alpha = \tan^{-1} \left(\frac{u_q}{u_d} \right) \tag{21}$$

Conversion time in any sector is shown in (22)-(24).

$$T_s = \frac{1}{f}$$

$$T_1 = \frac{\sqrt{3}T_s V_{ref}}{V_{dc}} \sin\left(\frac{n}{3}\pi - \alpha\right)$$
(22)

$$T_2 = \frac{\sqrt{3}T_s V_{ref}}{V_{dc}} \sin\left(\alpha - \frac{n-1}{3}\pi\right)$$
(23)

$$T_0 = T_f - T_1 - T_2 \tag{24}$$

$$0 \le \alpha \le 60^{\circ}$$

3. SENSORLESS EVALUATOR FOR SLGBRS

The three parts of the proposed SLGBRS evaluator are the sensorless evaluator, sensorless adjuster, and IRAFSM reference model, as shown in Figure 1. Explanation of the reference model for IRAFSMs is described in (1)-(4). The (1), (3), and (4) are used to derive the (25) for stator voltage in the d-axis.

$$\mathcal{U}_{d} = R \, i_{d} + \frac{d(L \, i_{d} + \psi_{f})}{dt} - P \omega_{r}(L \, i_{q})$$
(25)

If $\omega_e = P\omega_r$, the current can be driven as (26).

$$\frac{d\hat{\imath}_d}{dt} = -\frac{R}{L}\hat{\imath}_d + \omega_e\hat{\imath}_q + \frac{u_d}{L}$$
(26)

The stator voltage equation on the q-axis (27) is derived from (2)-(4).

$$\mathcal{U}_{q} = R_{s} i_{q} + \frac{d(L i_{q})}{dt} + P\omega_{r}(L i_{d} + \psi_{f})$$
(27)

Once more, by $\omega_e = P\omega_r$, the current may be driven as (28).

$$\frac{d\hat{\imath}_q}{dt} = -\frac{R}{L}\hat{\imath}_q - \omega_e\hat{\imath}_d - \frac{\psi_f}{L}\omega_e + \frac{u_q}{L}$$
(28)



Figure 1. The suggested Straight-line is controlled by a sensorless evaluator of reference speed

Stator current of (26) and (28) for the IRAFSM reference model is recast as the state variable as (29) and (30).

$$\frac{d}{dt} \begin{bmatrix} i_d + \frac{\psi_f}{L} \\ i_q \end{bmatrix} = \begin{bmatrix} \frac{-R}{L} & \omega_e \\ -\omega_e & \frac{-R}{L} \end{bmatrix} \begin{bmatrix} i_d + \frac{\psi_f}{L} \\ i_q \end{bmatrix} + \begin{bmatrix} \frac{u_d}{L} + \frac{R\psi_f}{L^2} \\ \frac{u_q}{L} \end{bmatrix}$$
(29)

For $\overline{\iota}_d = i_d + \frac{\Psi_f}{L}$, $\overline{\iota}_q = i_q$, $\overline{u}_d = u_d + \frac{R\Psi_f}{L}$, & $\overline{u}_q = u_q$

$$\therefore \frac{d}{dt} \begin{bmatrix} \bar{\iota}_d \\ \bar{\iota}_q \end{bmatrix} = \begin{bmatrix} \frac{-R}{L} & \omega_e \\ -\omega_e & \frac{-R}{L} \end{bmatrix} \begin{bmatrix} \bar{\iota}_d \\ \bar{\iota}_q \end{bmatrix} + \frac{1}{L} \begin{bmatrix} \bar{u}_d \\ \bar{u}_q \end{bmatrix}$$
(30)

Sensorless evaluator: Substituting the estimated value for the reference value to get (31).

$$\therefore \frac{d}{dt} \begin{bmatrix} \hat{l}_d \\ \hat{l}_q \end{bmatrix} = \begin{bmatrix} \frac{-R}{L} & \widehat{\omega}_e \\ -\widehat{\omega}_e & \frac{-R}{L} \end{bmatrix} \begin{bmatrix} \hat{l}_d \\ \hat{l}_q \end{bmatrix} + \frac{1}{L} \begin{bmatrix} \hat{u}_d \\ \hat{u}_q \end{bmatrix}$$
(31)

Sensorless adjuster: The calculated currents and the reference current differ in the following ways as in (32) and (33).

$$e_d = \bar{\iota}_d - \hat{\iota}_d \,, e_q = \bar{\iota}_q - \hat{\iota}_q \tag{32}$$

Subtraction of (30) and (31) yields the difference between reference and estimated currents.

$$\frac{d}{dt} \begin{bmatrix} e_d \\ e_q \end{bmatrix} = \begin{bmatrix} \frac{-R}{L} & \omega_e \\ -\omega_e & \frac{-R}{L} \end{bmatrix} \begin{bmatrix} e_d \\ e_q \end{bmatrix} - (\widehat{\omega}_e - \omega_e) \begin{bmatrix} 0 & 1 \\ -1 & 0 \end{bmatrix} \begin{bmatrix} \hat{\iota}_d \\ \hat{\iota}_q \end{bmatrix}$$
(33)

It is simple to show that the matrix representing the forward channel transfer function is a real, pure positive matrix. The Popov integral inequality may then be solved to get the electrical angular velocity adaptation law utilizing Popov hyper-stability theory [26]. The (34) and the schematic representation in Figure 2 can be used to determine the suggested sensorless speed.

$$\omega_{in} = \left\{ \left(\hat{\iota}_q \times \bar{\iota}_d \right) - \left(\hat{\iota}_d \times \bar{\iota}_q \right) \right\} - \frac{\Psi_f}{L} (\bar{\iota}_q - \hat{\iota}_q) \tag{34}$$

Where ω_{in} is the unadjusted initial estimated speed.



Figure 2. shows the suggested sensorless adjuster in schematic form

The following straight-line (35) is meant to illustrate the connection between evaluated speed and the product of demand speed and initial evaluated speed.

$$\omega_{est} = m \times \omega_{in} \times \omega_d \tag{35}$$

According to the straight-line equation $\omega_{in} = 10000 \ rpm$ at $\omega_d = 300 \ rpm$, the *m* is assumed to be 10000, then $\omega_{est} = 300 \ rpm$. In order to allow the demand speed sensorless evaluator to traverse a straight path despite changes in the drive's reference speed value, the demand speed setting is used as a judgement parameter. To determine the location of the rotor, the computed speed is integrated as (36).

$$\hat{\theta} = \int_0^t \omega_{est} \, dt \tag{36}$$

4. SIMULATION VERSUS REAL-TIME RESULTS

In this part, the validity of the suggested approach is demonstrated through the presentation and comparison of real-time emulation results for the test machine with MATLAB/Simulink simulation results. The technology of the real-time digital emulation is very important for the electric motor-drive designing and testing to save money and time and protect the real-physical system. Many test functionalities can be introduced with this technology. This technology is sophisticated in direct converting all MATLAB/Simulink models to run in real-time with the help of an additional software compilation [10].

So, in this paper, the OPAL RT-4510 is used as one of the more efficient real-time simulators in the market. OPAL Company launched it as a two-in-one platform, which means it can function as both a HIL and a fast control prototyping platform. The MATLAB/Simulink programs used in this digital simulator are

compiled using the RT-Lab software suite. Figure 3 presents a schematic diagram for the SLGBRS sensorless control of an IRAFSM inside a vehicle's tire and the real time setup for the controller application.

The entire experimental equipment is shown in Figure 3. It implies the host computer, which includes a console, an OP4510 digital simulator, an OP8660 HIL-controller, and an interface for data gathering. The OP4510-v2 contains a Kintex-7 FPGA and a Xeon 4-core CPU processor for quick real-time emulation. Furthermore, it involves 16 analog channels pluses 32-channels for digital input/outputs [11]. The analog output signals are provided through the analog channels via the OP8660 HIL-controller and data acquisition interface to provide supplementary signal conditioning [12]. The values of these output real-time analog signals are limited by the port maximum output voltage (16 V). So, all signals are scaled according to their values. This scaling is done through the model of MATLAB/Simulink. In all cases, the waveforms for the reference and estimated values of torque are scaled by ¹/₄. In addition, the three-phase stator currents are scaled downed 5 times. Furthermore, the reference and estimated speed waveforms are scaled downed 35 times to avoid signal saturation at the output ports. Two poles, 11 N.m, and a rated speed of 300 rpm are the IRAFSM characteristics employed in this work [9].



Figure 3. Schematic diagram for the SLGBRS sensorless control and the laboratory setup for the platform of the OPAL-RT real-time digital emulation

Figures 4-9 represent the laboratory real-time and simulation results for speed, torque, and current. It can be observed that they are all quite close. The reference speed trajectory is selected to be aggressive where the reference speed changes from zero to 150 rpm and then from 150 rpm to 225 rpm instantaneously as an impulse change to test the controllability against aggressive changes.

From the speed Figures 4 and 5 for the simulation model and the laboratory measured, the proposed controller response is speed overshoot is about (0.2%), steady-state percentage error is approximately (0.25%), and speed rise time is about (0.05 sec) response to the proposed method. For both the simulation and the lab, the evaluator responded well to the reference torque, as seen in Figures 6 and 7. As seen in Figures 8 and 9, the simulation and laboratory three-phase current signals are extremely similar to sine waves. Table 1 presents the most recent research trends in controlling the IRAFSM [9], [14]-[25]. It is

obvious that the novelty of the proposed research work is that it presents the first study of practical application of sensorless control of IRAFSM with the SLGBRS strategy.



Figure 4. Speed response simulation



Figure 6. torque response simulation



Figure 8. Instantaneous current simulation



Figure 5. Real-time speed trajectories for reference (Ch. A 2V/div) and estimated (Ch. B 2V/div)



Figure 7. Real-time torque trajectories for reference (Ch. A 1V/div) and estimated (Ch. B 1V/div)



Figure 9. Real-time instantaneous current (Ch. A 10 A/div), (Ch. B 10 A/div), and (Ch. D 10 A/div)

Urban dynamometer driving cycle (UDDS) is a fuel economy dynamometer test required by the Federal Agency for Environmental Protection that simulates the traffic in the city and is used to evaluate

light-duty vehicles. UDDS is also referred to as the U.S. Federal Test Procedure cycle, the Constant Volume Sampler cycle in Sweden, and the Australian Design Rules cycle in Australia. It was initially developed as a benchmark for fossil-fueled cars, but it is now used to estimate the range of a battery-powered car per one charge [33]. In this research work, the UDDS is used as an aggressive trajectory with different speed ranges to test the reliability of the controller with a wide range of changes. Figures 10 and 11 show the simulation and laboratory results against the UDDS as a reference speed.

The common use tire (205/55/R16) with a rim diameter equals 16 inches and a section height equals 55 mm is assumed to be the EV's tire. Thus, the overall diameter of the tire will be = $(16 \times 2.54) + (5.5 \times 2) = 51.64$ cm.

$$\text{The}\,\frac{\text{km}}{\text{hr}} = \frac{1000}{2\pi \times 60 \times \text{R}_{\text{tire}}} = \frac{1000}{2\pi \times 60 \times 25.82 \times 10^{-2}} = 10.28 \text{ rpm. Gear}_{\text{ratio}} = \frac{\text{motor rated speed}}{\text{max.speed}\,(\frac{\text{km}}{\text{hr}}) \times 10.28 \text{ rpm}}$$

Then, for UDDS, $\text{Gear}_{\text{ratio}} = \frac{300}{1369 \times 10.28} = 0.0213$. It can be observed that the motor speed follows the reference speed (UDDS) with a good response for both simulation and real time laboratory testing. Also, the simulation and laboratory results have quite identical speed responses.

Table 1. Comparison between the proposed and existing control methods of IRAFSM

| Reference | Control type | Switching | Control parameters | | | Response | | | Practical |
|--------------|---|---|--------------------------|------------|------------|-----------|--------------------|------------------------------|------------|
| | | Method | Speed | Flux | Torque | Overshoot | Steady state error | Rise time | results |
| Proposed | DTC | SVPWM | Controlled | Controlled | Controlled | No | Too small | Very small | Yes |
| [9] | DTC | SVPWM | Controlled | Controlled | Controlled | No | Too small | Very small | No |
| [14] | Predictive torque control | Switching Table - 2L VSI | No | Controlled | Controlled | No | Yes | Good | No |
| [15] | DTC | Hysteresis controller | No | Controlled | Controlled | No | Yes | Good | No |
| [16] | Speed sensor less fuzzy control using an advanced flux concept | SVPWM | Controlled | No | No | Yes | Yes | Good | No |
| [17] | Field oriented control | SVPWM | No | No | Controlled | | Yes | | No |
| [18] | Internal model current controller | SVPWM | Controlled | No | Controlled | Yes | Yes | Good | Yes |
| [19] | Deadbeat current prediction vector control | Efficiency optimal torque distribution | Controlled | No | Controlled | No | No | Very high (3.7 Sec) | Yes |
| [20] | Based on cooperative optimization, sliding mode vector control | SVPWM | Controlled | No | Controlled | Yes | Yes | Very high (6 Sec) | Yes |
| [21] [22] | Vector control Speed sensor- less vector control Extended Kalman Filter (EKF) | SVPWM SVPWM | Controlled Controlled | No No | No No | Yes No | No Yes | High High | Yes Yes |
| [23] | Vector Control | Particle swarm optimization | Controlled | No | controlled | Yes | Yes | Good | No |
| [24] | Fuzzy control | PWM | Controlled | No | No | No | Yes | High | Yes |
| [25] | Fuzzy-PID control | Fuzzy | Controlled | No | Controlled | No | Yes | Good | No |



Figure 10. Speed response simulation with UDDS as a reference speed



Figure 11. Real-time speed response with UDDS as a reference speed (Ch. A 2 V/div) and estimated (Ch. B 2 V/div)

5. CONCLUSION

The aim of this study is to evaluate the IRAFSM sensorless control practically for the purpose of inserting the motor inside the EV's tire. The laboratory results characteristics are like finger print from the MATLAB simulation results so, the real time evaluation proved the accuracy of the suggested control technique. UDDS driving cycle is employed - as a compatible driving cycle with application in EVs - to evaluate the control approach for both real-time and simulation and this subserves identical and accurate response. This control technique is evaluated in laboratory and by MATLAB simulation and looks suitable for practical usage.

According to the results, the regulating variables are extremely manageable with this approach, and the system reaction to the suggested method has a minimal overshoot, a modest steady-state error, and a short rising time. The torque follows the reference torque with minimum ripples and the current is approximately sine wave. The innovation of this work is in the use of a practical approach, which proved its viability and showed how its application makes it simpler to use these motors in many applications, including robots and electric cars.

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